Active Radiative Thermal Switching with Graphene Plasmon Resonators

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Supporting Information

ABSTRACT: We theoretically demonstrate a near-field radiative thermal switch based on thermally excited surface plasmons in graphene resonators. The high tunability of graphene enables substantial modulation of near-field radiative heat transfer, which, when combined with the use of resonant structures, overcomes the intrinsically broadband nature of thermal radiation. In canonical geometries, we use nonlinear optimization to show that stacked graphene sheets offer improved heat conductance contrast between “ON” and “OFF” switching states and that a >10× higher modulation is achieved between isolated graphene resonators than for parallel graphene sheets. In all cases, we find that carrier mobility is a crucial parameter for the performance of a radiative thermal switch. Furthermore, we derive shape-agnostic analytical approximations for the resonant heat transfer that provide general scaling laws and allow for direct comparison between different resonator geometries dominated by a single mode. The presented scheme is relevant for active thermal management and energy harvesting as well as probing excited-state dynamics at the nanoscale.

KEYWORDS: graphene, thermal radiation, near-field radiative heat transfer, surface plasmon

Radiative heat transfer on the nanoscale holds promise for next-generation energy conversion technologies, including heat-to-electricity conversion platforms such as near-field thermophotovoltaics and near-field solid-state refrigeration. A key enabler is the idea that closely separated objects at different temperatures, that is, objects at separation distances much smaller than the characteristic thermal wavelength, can exhibit order-of-magnitude increases in the radiatively exchanged power relative to the power that can be transferred in the far field. While the early work on near-field radiative heat transfer (NF-RHT) focused on the thermal energy exchange between conducting plates,1,2 the advancements in nanofabrication have led to experimental demonstrations of NF-RHT in a number of configurations.3–17 Among recent studies, radiative nanoscale energy transfer has been investigated in metasurfaces,18 nonreciprocal systems and systems with gain19,20 van der Waals stacks,21 and for concepts such as luminescent refrigeration,22 thermal extraction23 thermal rectification and amplification,24–27 and radiative heat transfer limits.28–30

A key functionality central to the application of NF-RHT is a means of active heat transfer control—a scheme whereby external parameters can dynamically modulate the radiative flux between objects without necessitating a temperature change. The challenge of realizing such a thermal switch is two-fold: (1) the broadband spectrum of thermal radiation makes it difficult to modulate the radiative heat transfer to a significant degree, and (2) such a switch must comprise materials with tunable emissivity at a fixed temperature. Here, we propose use of coupled graphene resonators as a means to overcome both challenges; their highly tunable optical properties allow for constant-temperature operation and provide a means to dramatically modulate NF-RHT despite the broadband nature of thermal radiation. In contrast to their bulk counterparts, low-dimensional plasmonic materials such as graphene exhibit highly tunable optical properties when electrically biased. Moreover, graphene supports strongly confined surface plasmons in the technologically important thermal IR spectral range. Finally, graphene combines a strong optical response with low losses, endowing it with the largest optical response of known 2D materials, in the thermal IR spectrum.30 Jointly,
these attributes have sparked a significant interest in the study of plasmon-mediated NF-RHT in graphene.\textsuperscript{31–40}

In this work, we find that optimal combinations of resonator size and material properties, specifically carrier concentration and relaxation rate, can enable large thermal switching ratios and high levels of modulation sensitivity. The working principle behind thermal switching with plasmonic graphene resonators is the ability to dynamically tune the modes of the resonances of the emitting and the absorbing objects into and out of resonance. We illustrate the idea of a thermal switch in several relevant configurations, including thermal switching between (a) graphene sheets, (b) multilayer graphene stacks, (c) dipolar graphene resonators, and (d) hybrid resonator-multilayer structures (Figure 1). In this radiative heat transfer analysis with multiple configurations and inputs (e.g., temperature, distance, etc.), we identify carrier mobility as a critical parameter in achieving a large contrast between the “ON” (maximal heat transfer) and “OFF” (minimal heat transfer) states: higher mobility gives rise to sharper plasmonic resonances that are more easily detuned. For each value of mobility, identifying the relevant regimes that depend on carrier mobility. Finally, we derive analytical approximations that highlight the relevant scaling laws and key parameters and show that heat flux modulation is possible even with graphene on infrared active substrates.

RESULTS AND DISCUSSION

The radiative energy flux exchanged between two structures of temperatures \(T_1\) and \(T_2\) is given by\textsuperscript{41}

\[
H_{1 \rightarrow 2} = \int_0^\infty d\omega [\Theta(\omega, T_1) - \Theta(\omega, T_2)] \Phi(\omega, T_1, T_2) \]

(1)

where \(\Theta(\omega, T) = \rho_\omega/\{\exp(\rho_\omega/k_B T) - 1\}\) is the mean energy of a photon, and \(\Phi\) is the spectral transfer function which accounts for the geometry, shape, and (temperature-dependent) material properties of the two objects. In this work, we focus on the radiative thermal conductance (RTC) \(h\) between two structures, defined for a given temperature \(T\) as \(h(T) = \Im[H(T, T_2)/(T_1 - T_2)] = \int_0^\infty d\omega \frac{\delta \Phi(\omega, T)}{\delta \omega}\). As a first step in our analysis, we examine the radiative heat transfer between two graphene sheets, as shown in Figure 1a. For two parallel graphene sheets radiatively exchanging heat in the near field, and separated by a distance \(d\), the spectral transfer function per unit area is\textsuperscript{33,34}

\[
\Phi_{\text{sheets}}(\omega) = \frac{1}{\pi} \int_0^\infty dq \frac{\Im[t_1] \Im[t_2]}{1 - \eta f_E^{2\text{ndd}}} \frac{2\eta d}{\kappa_1 \kappa_2}
\]

(2)

where \(q\) and \(\kappa\) are the in-plane and the perpendicular wave-vector, respectively (\(\kappa = \sqrt{\omega^2/c^2 - q^2}\)), and \(t_i\) is the reflection coefficient of the \(i\)-th sheet (related to the, generally nonlocal, graphene surface conductivity, see SI). In this configuration, the radiative thermal conductance \(h\) depends on several physical parameters: \(h = (E_i, \mu_i, T, d)\), where \(E_i = (E_{1i}, E_{2i})\) and \(\mu_i = (\mu_{1i}, \mu_{2i})\) denote the Fermi levels and carrier mobilities of the two sheets, respectively, \(T\) is the temperature, and \(d\) is the separation. Because both \(E_i\) and \(\mu_i\) are actively tunable through electrostatic gating, our goal is to determine the optimal pairs \((E_{1i}^{\text{on}}, E_{2i}^{\text{on}})\) and \((E_{1i}^{\text{off}}, E_{2i}^{\text{off}})\) that correspond to the ON and OFF states, namely where \(h_{\text{on}} \equiv h(E_{1i}^{\text{on}}, E_{2i}^{\text{on}})\) and \(h_{\text{off}} \equiv h(E_{1i}^{\text{off}}, E_{2i}^{\text{off}})\). A thermal switch with excellent modulation ability will then have a high switching ratio \(\eta = h_{\text{on}}/h_{\text{off}}\).

Figure 2a shows the maximum conductance \(h_{\text{on}}\) and the switching ratio \(\eta\) as a function of the carrier mobility. We assume equal mobilities \(\mu_{1,2} = \mu\) and fix the temperature \((T = 300 \text{ K})\) and the sheet separation \((d = 100 \text{ nm})\). Carrier mobility quantifies the magnitude of optical losses in graphene and is related to the carrier relaxation time \(\tau\) via the impurity-limited approximation \(\tau = \mu E_i/ev_F^2\).\textsuperscript{35} For each value of mobility, we find the optimal \((E_{1i}^{\text{on}}, E_{2i}^{\text{on}})\) and \((E_{1i}^{\text{off}}, E_{2i}^{\text{off}})\) pairs in the allowable range \(E_i \in [E_{\text{min}}, E_{\text{max}}]\). For the allowable range, we assume \(E_{\text{min}} \sim k_B T\) and \(E_{\text{max}} = 0.6 \text{ eV}\), consistent with typical experimental gate voltages (we note that presented results are not sensitive to the choice of \(E_{\text{max}}\) whether it is zero or \(k_B T\)). The \(E_{1i}^{\text{on}}\) and \(E_{2i}^{\text{on}}\) pairs are computed numerically using a (multistart) local, derivative-free, optimization algorithm.\textsuperscript{43–45} For the case of two graphene sheets radiatively exchanging heat in Figure 2a, we observe a peak in the maximum conductance \(h_{\text{on}}\) (solid black), implying the existence of an optimal optical loss rate which maximizes the heat transfer. The existence of optimal loss arises from the geometry of the problem. A parallel plate configuration, due to multiple reflections between the plates, does not achieve the optimal-absorber condition, exhibiting a heat transfer rate that is substantially weaker than the extended-structure limit.\textsuperscript{29} Because of this, we do not expect the optical response and the heat transfer rate to monotonically increase with mobility (or, equivalently, decrease with mounting optical loss). For the
parameters under analysis here, we find the optimal mobility for the case of two graphene sheets to be \( \mu_{opt} \approx 1800 \text{ cm}^2/(\text{V s}) \) and the corresponding radiative thermal conductance \( h_{on} = h_{off} \approx 340 \) for \( E_{21}^0 = E_{22}^0 = 0.173 \) eV. Here, the conductance is normalized to the far-field limit of radiatively coupled blackbodies (with unity view factor) \( h_{bf}(T) = \frac{d}{\varepsilon} (\alpha_{bf} T^4) = 4\alpha_{bf} T^3 \). Here, \( \alpha_{bf} \) is the Stefan–Boltzmann constant. We note that in all cases, the emitter–absorber symmetry ensures that the ON state comprises equally doped graphene sheets (\( E_{21}^0 = E_{22}^0 \)), such that the resonances are aligned (Figure 2c). For analyzed OFF states, the carrier mobility is relevant. For low carrier mobility, maximal detuning of broad plasmonic resonances is achieved at the extremes of the allowable range of Fermi levels. In contrast, for higher carrier mobilities, once the plasmonic resonances are the allowable range of Fermi levels, namely \( E_{21,22}^{on} = E_{min(max)}^{on} \); in contrast, for higher mobility, \( E_{21,22}^{off} = E_{max}^{on} \) and the switching ratio increases with increasing mobility. Despite the multiple reflections in the parallel-plate geometry and the failure to achieve the optimal-absorber condition, the switching ratio can be appreciable, reaching a value of \( \eta \approx 8.5 \) for \( \mu = 10^4 \text{ cm}^2/(\text{V s}) \) and \( \eta \approx 45 \) for \( \mu = 10^6 \text{ cm}^2/(\text{V s}) \).

The concept of thermal switching using two graphene sheets can be further extended to parallel graphene stacks (Figure 1b). As an example, we focus on the near-field radiative heat transfer between a single graphene sheet (object 1) and a stack comprising two graphene sheets in close proximity (object 2). We fix the separation between the sheets in the second stack at \( \delta = 10 \) nm and object separation, as before, at \( d = 100 \) nm. In this case, active modulation is achieved with parameters \( E_{1} = (E_{0,1}, E_{21,1}, E_{22,1}) \), as sketched in Figure 2a. Similar to the 2-sheet case, we also observe the existence of an optimal mobility that maximizes the radiative thermal conductance (blue, dashed, in Figure 2a). In addition, we note a slight decrease (\( \sim 20\% \)) of \( h_{on} \) relative to the 2-sheet case, which can be attributed to the inability to achieve perfectly resonant coupling in this asymmetric configuration. The condition for maximal RTC is reached for a nearly symmetric configuration \( E_{1} \sim E_{21} \) and \( E_{22} \sim E_{min} \). Despite the optimal low carrier concentration of the bottom sheet, its optical response is appreciable enough to detune the plasmonic resonance, resulting in a decrease of \( h_{on} \).

While the presence of the bottom sheet in the stack reduces the maximum heat transfer rate, it in turn enables a noticeably larger switching ratio. The improved switching ratio arises from the suppression due to resonance blue-shift in the graphene stack. This effect is elucidated by examining the local density of states (LDOS) above a layered stack. The LDOS at a point \( r \) is proportional to the decay rate of an (orientation-averaged) dipole at that point, given by \( \rho(r, \omega) \sim (2\omega/\pi c^2) \Im \{\text{Tr}[\mathbf{G}(r, r, \omega)]\} \), where \( \mathbf{G} \) is the dyadic Green function (SI). Figure 3a shows the spectral LDOS above a graphene stack of \( N \) identically doped sheets (of mutual, constant sheet-separation \( \delta \)). For \( N > 1 \), the one-sheet plasmon dispersion fructuates into a set of \( N \) hybridized resonances, split into mutually bonding and antibonding modes, corresponding to low- and high-frequency branches. The principal LDOS contribution originates from the highest frequency branch. Normalizing the stack’s LDOS to that of an individual sheet, we observe a substantially enhanced optical response at higher frequencies (Figure 3b). Finally, Figure 3c shows the \( (k, \omega) \) dependence of the LDOS and the relevant higher order modes of the graphene stack. Together, these considerations further elucidate the previously noted blue shift of the two-sheet case with \( E_{21,22}^{off} = E_{max}^{on} \) relative to the single sheet case with \( E_{21}^{off} = E_{max}^{on} \). In summary, while the maximum thermal conductance \( h_{on} \) suffers from the introduction of the bottom sheet, the reduction is more than made up by the lower \( h_{off} \) thus leading to an enhanced switching ratio \( \eta \).

Moving beyond extended structures, we analyze radiative heat transfer between isolated graphene resonators, as shown in Figure 1c. In the dipolar limit, the spectral transfer function for resonators 1 and 2 (normalized to resonator area \( A \)) can be expressed as \( \Phi(\omega, d) = \frac{1}{k^2 \pi^2} \sum_{\mathbf{q} \in \Delta} \lambda_0 \Im[a_1^{\ast}] \Im[a_2^{\ast}]/A \), where \( d \) is the resonator separation distance, \( \mathbf{a}_2^{\ast} \) is the polarizability of resonator 1(2), and \( \lambda_0 \) is a numerical prefactor that depends on the relative orientation of the two resonators (SI). The polarizability connects the induced dipole moment \( p(\omega) = \mathbf{a}^{\ast} \) with the electric field \( \mathbf{E}(\mathbf{r}, \omega) \).
Fig. 3. (a) Orientation-averaged LDOS $\rho$ at a height $d$ above a graphene stack of $N$ identical sheets ($E_i = 0.6$ eV), separated by $\delta$ (see inset in (b)). (b) LDOS for $N > 1$ normalized to that of $N = 1$. (c) Decomposed $(k, \omega)$ LDOS for $N = 1$ and $N = 6$. Here, $d = 100$ nm, $\delta = 10$ nm.

$\epsilon_0 a(\omega)E_0$ with an external field $E_0$ and can be expressed as the eigenmode sum:

$$
\alpha(\omega) = 2L^3 \sum_{\nu} \frac{\Delta_{\nu}}{\zeta_{\nu} - \zeta(\omega)}
$$

where the geometrical shape of a graphene resonator is captured by the normalized eigenfrequencies $\zeta_{\nu}$ and the oscillator strengths $\Delta_{\nu}$. The size and the material-response dependence of the graphene resonator are embedded in the dispersive parameter $\zeta(\omega) = 2i\epsilon_0\epsilon_0/\sigma(\omega)$, where $L$ is the characteristic length scale and $\sigma(\omega)$ is graphene’s surface conductivity. For identical resonators ($a_1 = a_2$), assuming intraband (Drude) conductivity, we can approximate the ON state radiative thermal conductance (and the corresponding optimal Fermi levels) to emphasize the parameter dependencies as (SI)

$$
\begin{align*}
\hbar_{\text{on}} &\approx 116.23 \left( \frac{e^2 k_B T^4}{2\pi h^2 c^3 \epsilon_0^2} \right) \frac{1}{A} \frac{\lambda_S}{2} \frac{L^7}{A^6} \frac{\Delta^2_{\nu}}{\epsilon_0^2} \\
E_{\text{on}} &\approx 71.27 \left( \frac{e^2 k_B T^4}{2\pi h^2 c^3 \epsilon_0^2} \right) \frac{L}{d^3} \frac{\Delta^2_{\nu}}{\epsilon_0^2}
\end{align*}
$$

which are valid assuming the optical response is dominated by a single (or a set of degenerate) mode(s) associated with $\zeta_{\nu}, \Delta_{\nu}$ from eq 3. Note, $\lambda_S \equiv \sum_{\nu} \lambda_{\nu}$ is the sum of all corresponding numerical prefactors. For disk resonators of radius $R$, we associate $L \equiv \sqrt{A} = \sqrt{R \pi}$ and give the relevant oscillator parameters in the SI. Figure 4 shows the normalized maximum thermal conductance $\hbar_{\text{on}}/\hbar_{\text{bb}}$ and the switching ratio $\eta_s$ for graphene disks of varying size (we assume disks are coaxial, hence $\lambda_S = 2$). We observe that the optimal doping ($E = E_{\text{on}}^{\text{opt}}$) that maximizes the RTC is not particularly sensitive to mobility (Figure 4b); instead, it is dependent on the resonator size, exhibiting a linear relationship with the disk radius $R$ (in
agreement with eq 4). The higher optimal doping would seem to imply weaker radiative conductance per unit area between larger disks at temperature $T$ (due to a blue-shifted resonance frequency); nevertheless, the cubic dependence of polarizability on disk size leads to the overall increase of $h_{\text{on}}$ with the disk size, as shown in Figure 4c. We make two remarks: First, while the RTC between identical disks of radius $R$ is proportional to $R^2$ for fixed Fermi levels, the optimal conductance (i.e., the ON state) has a stronger ($\alpha R^2$) size dependence (Figure S4b). Second, eqs 3 and 4 are shape-agnostic: they apply to graphene resonators other than disks, allowing for direct comparison between different resonator geometries. For example, using the values from Table S1, we can readily infer that square, triangular, or elliptical resonators would exhibit stronger on-resonance heat transfer than disks, for the same resonator area. For elliptical resonators, the enhancement arises from the fact that increasing the aspect ratio simultaneously increases the resonance heat transfer than disks, for the same resonator area.

Finally, sharp, geometry-dictated resonances lead to order-of-magnitude higher switching ratios relative to those in planar structures (Figure 4d).

In addition to thermal switching in extended (sheets and multilayer stacks) and dipolar (e.g., disks) structures, we also analyze a hybrid scenario that combines the two, for example, a graphene disk above a single sheet (or a stack) as shown in Figure 1d. The spectral transfer function of the configuration consisting of a dipolar nanostructure above a planar sheet can be expressed as

$$\Phi(\alpha) = \frac{2\alpha^2}{\pi c^2} \sum_{j=x,y,z} \Im(\alpha_\perp) \Im(\tilde{G}(\alpha_\parallel, r_{\parallel})),$$

where $\tilde{G}$ is the dyadic Green tensor of the planar interface (see SI). In the nonretarded limit ($q \gg k$) relevant to NF RHT, the expression for the spectral transfer function $\Phi(\alpha)$ features terms proportional to $\Im(\alpha_\perp) \Im(r_{\parallel})$, where $\alpha$ is the resonator polarizability and $r_{\parallel}$ is the p-polarization (TM) reflection coefficient for the underlying sheet (SI). Figure S3 shows the RTC enhancement and the switching ratio, assuming the polarizability of the disk is $\alpha_{xx} = \alpha_{yy} = \alpha_\perp, \alpha_{zz} = 0$, where eq 3 applies for the scalar $\alpha$. We observe that it is still possible to bring the disk and the sheet into resonance, as indicated by the very large possible switching ratios relative to the sheet/stack configuration of Figure 2. In contrast to the latter, the inclusion of an additional layer in the stack does not appear to improve either the RHT enhancement or the switching ratio (Figure S3, dashed). Attainable switching ratios would, in general, depend on the separation between graphene resonators. For the sheet–sheet configuration, Figure S5 shows the switching ratio as a function of mobility, for different separations. We observe similar trends as before: namely, the switching ratio increases with mobility and that shorter separations are generally favorable due to the enhancement of the ON state conductance as sheets become closer. We note that for resonators in the dipolar limit, both the ON and the OFF state energy fluxes scale in the same way with the separation $d$, making the switching ratio insensitive to separation.

Besides the heat transfer enhancement and the switching ratio, another relevant quantity for active modulation is the switching sensitivity. Here, we define the switching sensitivity as

$$\xi = k_B T/\min|E_1 - E_2|$$

a quantity that is proportional to the minimum change in any single Fermi level $E_i$ that is needed to halve the maximum radiative conductance $h_{\text{on}}$. Figure 5 shows the sensitivity $\xi$ for different values of mobility for the discussed configurations. In the disk–disk and the 2-sheet case, the ON state of the system is (due to symmetry) equally sensitive to changes in $E_1$ and $E_2$. In the 3-sheet case (Figure 2., dashed), the most “sensitive” parameter is the doping of the top sheet ($E_3$); likewise, in the disk-sheet case (Figure S3, dashed), the doping of the disk ($E_1$) is the most sensitive. Similar to the switching ratio, the sensitivity of switching increases with increasing graphene mobility, especially for the disk–disk heat transfer characterized by sharp resonances.

Finally, we briefly characterize thermal switching with graphene sheets on substrates. The simplest example comprises a sheet of graphene on a semi-infinite substrate of constant permittivity (e.g., CVD diamond, $\epsilon \sim 5.8$). In that case, much of the analysis from Figure 2 holds, with switching ratios exhibiting similar mobility dependence, with generally lower magnitude due to stronger mode confinement for $\epsilon > 1$. A more interesting extension includes the analysis of thermal switching in the presence of IR active substrates (i.e., substrates that themselves support surface electromagnetic modes in the mid-IR). For this case, we focus on SiO$_2$, SiC, and SiN$_x$ materials that exhibit surface phonon-polaritons. As indicated in Figure S6, these three materials can be characterized by both sharp and broad resonances as well as by both low and high background permittivities. Figure 6 shows the switching ratio $\eta$ between two graphene sheets on substrates as a function of mobility. The substrates are identical, and, as before, we find optimal Fermi levels $E_f$ that maximize/minimize the RTC. To emphasize the substrate versus graphene contribution to RTC, we plot the switching ratio for different separation distances $d$. From Figure 6 we can draw several qualitative conclusions. As expected, for a given substrate, modulation is generally stronger at smaller separations due to enhanced contribution of tightly confined surface modes in graphene. As a result, at smaller separations (where graphene response is more dominant), higher mobility is still favored. In terms of the most suitable substrate material, silicon carbide appears to provide the largest

![Figure 5. Sensitivity of thermal switching defined as $\xi = k_B T/\min|E_1 - E_2|$, (i.e., inversely proportional to the smallest change in $E_i$ needed to halve the “ON” state thermal conductance), for resonator configurations from Figure 1. For parallel disks (Figure 4), a range from $R = 10$ nm (most sensitive) to $R = 70$ nm (least sensitive) is shown.](image)
switching ratio of the analyzed substrates. We attribute this to its narrowest resonant response (as indicated by its permittivity function, Figure S6) that allows for stronger detuning of the heat transfer in the presence of graphene.

At larger separations, where graphene response is less dominant, the effect of carrier mobility is more nuanced. At a separation of $d = 400$ nm, we find graphene-on-SiO$_2$ to have the strongest switching ratio. This is attributed to the (comparatively) low $\epsilon_\infty$ of SiO$_2$, giving rise to less strongly confined surface modes that can more effectively modulate the RTC at such distances. This is the same reason why SiO$_2$ outperforms SiN$_p$ and even optically inactive CVD diamond, as the substrate material. This implies that, among polaritonic materials, SiO$_2$ may be a suitable substrate for RTC modulation at larger, more experimentally accessible separations.

CONCLUSIONS

In this work, we proposed and demonstrated a radiative thermal switching scheme with graphene plasmonic resonators in several relevant configurations. We showed that optimal combinations of resonator size and carrier concentration give rise to strongly contrasting ON and OFF thermal conductance states and identified carrier mobility as a critical material parameter. In addition to numerical optimizations, we derived analytical, shape-agnostic approximations that highlight parameter dependence for resonant heat transfer and allow for direct comparison between different resonator geometries. Finally, we characterized thermal switching and heat flux modulation of graphene on infrared active substrates. Though the focus of this work is radiative flux modulation via the control of plasmonic resonances in graphene, other reduced dimensionality materials and other types of polaritons (phonon-polariton, exciton-polariton, magnon, etc.) would exhibit similar radiative thermal emission enhancements. In addition to electrostatic gating, other mechanisms, such as an imposed elastic strain, offer another means for polariton resonance modulation. Because of its vanishing density of states at its neutrality point, graphene exhibits exceptional tunability and is particularly suitable for radiative flux modulation. The described active thermal switching may be relevant for applications that include near-field thermophotovoltaic modulation and cooling of electronic nanodevices. These results demonstrate the potential of graphene-based plasmonic resonators for active thermal management on the nanoscale.

COMPUTATIONAL METHODS

Calculations in the present paper were performed by numerical evaluation of eqs 1–5. Unless otherwise specified, optical conductivity of graphene is numerically obtained (for desired values of frequency, Fermi energy, mobility, temperature) by summing the intraband and the interband contributions (see, for example, ref 47). For optimizations, the Fermi energy pairs ($E_{\text{F}1}$ and $E_{\text{F}2}$) are computed numerically using a (multistart) local, derivative-free, optimization algorithms$^{44,45}$ accessed via the NLopt package.$^{45}$

ASSOCIATED CONTENT

5 Supporting Information

The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acsnano.7b08231.

Analysis beyond the local response approximation (LRA) conductivity; expressions for the radiative heat transfer involving dipolar structures; polarizability model for graphene resonators; first-order approximations to the radiative thermal conductance; analysis of separation distance and effect of substrate (PDF)

REFERENCES


